

# The Tradeoffs in Leaning Against the Wind

François Gourio<sup>1</sup>   Anil K Kashyap<sup>2</sup>   Jae Sim<sup>3</sup>

<sup>1</sup>The Federal Reserve Bank of Chicago

<sup>2</sup>Booth School of Business, the Bank of England

<sup>3</sup>The Board of Governors of the Federal Reserve System

IMF Annual Research Conference

# Disclaimer

The views herein do not reflect those of:

- the Board of Governors of the Federal Reserve System,
- the Federal Reserve Bank of Chicago,
- the Bank of England.

# Motivation

- Two uncontroversial observations
  - Financial crises have large, persistent effects on GDP
  - Excess credit creation sometimes precedes crises
- Conventional view: deal with this using time-varying macroprudential policy
- But what if there are no good macroprudential options?

## Motivation cont'd

- Absent macroprudential options, should monetary policy respond to credit developments?
- Many say no because:
  - Responding to inflation is sufficient (Bernanke and Gertler 1999)
  - The effect of monetary policy on crisis risk is small (Svensson 2016)
  - IMF staff study (2015) concludes the costs of doing so outweigh the benefits

# Outline

1. Model description
2. Comparison of alternative policy rules
3. When is leaning against the wind attractive?
4. Conclusions

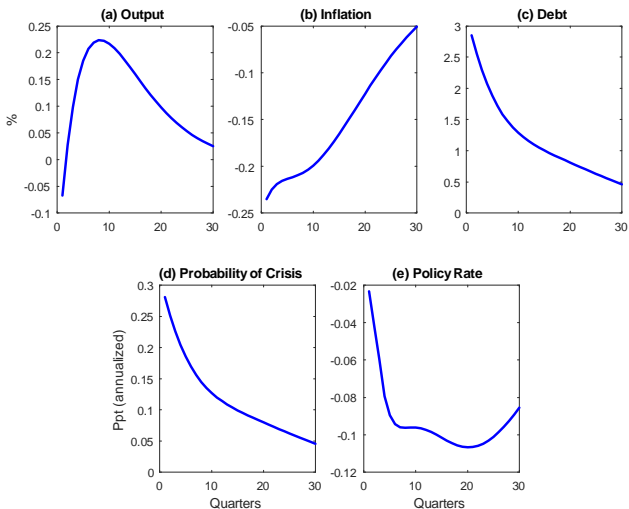
# Model Properties

Small New Keynesian DSGE model with standard demand and productivity shocks, plus three twists:

1. Tradeoff theory of capital structure
  - Induces a bias towards debt financing: “excess credit”
2. Inefficient financial shocks that lead to excessive credit fluctuations
  - Modeled as a shock to the tax benefit of debt
3. Financial crises that entail permanent output losses
  - Reduced form approach tying crises to excess credit
  - $\log(p_t) = b_0 + b_1 * \log(\hat{b}_t)$  where  $\hat{b}_t$  = excess credit relative to flexible price without financial shocks
  - Baseline crisis probability is 2 percent per year

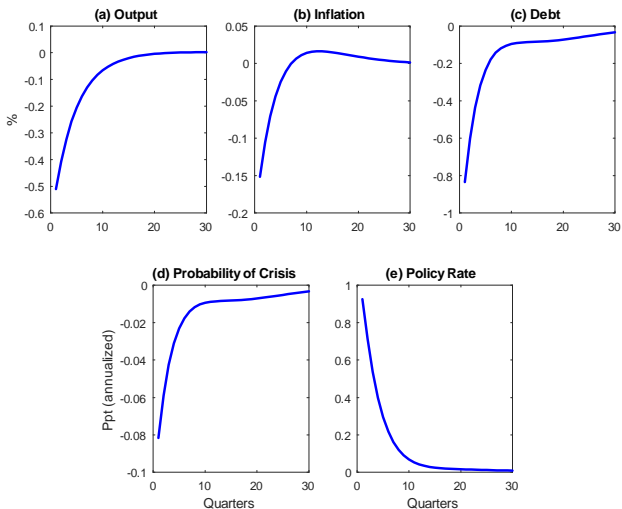
# Financial Shock

- $R_t = 0.85R_{t-1} + 0.15[R^* + 1.5(\pi_t - \pi^*) + 1.0 \log(\hat{y}_t)]$



# Monetary Policy Shock

- $R_t = 0.85R_{t-1} + 0.15[R^* + 1.5(\pi_t - \pi^*) + 1.0 \log(\hat{y}_t)]$





# Optimal Simple Rules

We consider rules of the forms:

- $R_t = 0.85R_{t-1} + 0.15[R^* + 1.5(\pi_t - \pi^*) + \phi_y \log(\hat{y}_t) + \phi_b \log(\hat{b}_t)]$   
where

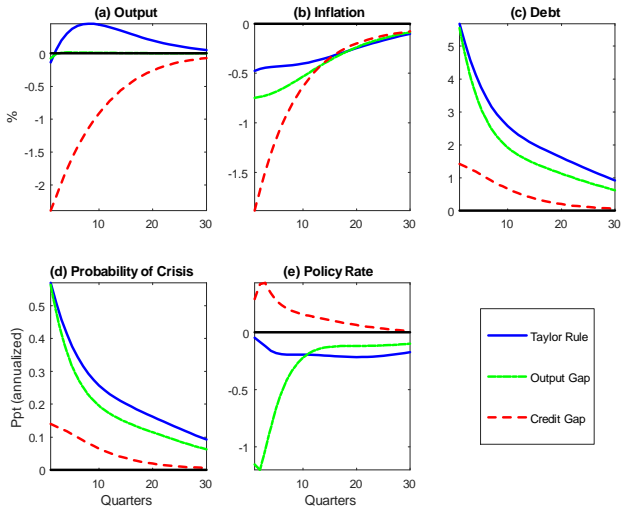
$\hat{y}_t$  : output gap

$\hat{b}_t$  : “credit gap” (that affects prob fin crisis)

- We optimize over  $\phi_y$  or  $\phi_b$  (or both) to maximize welfare

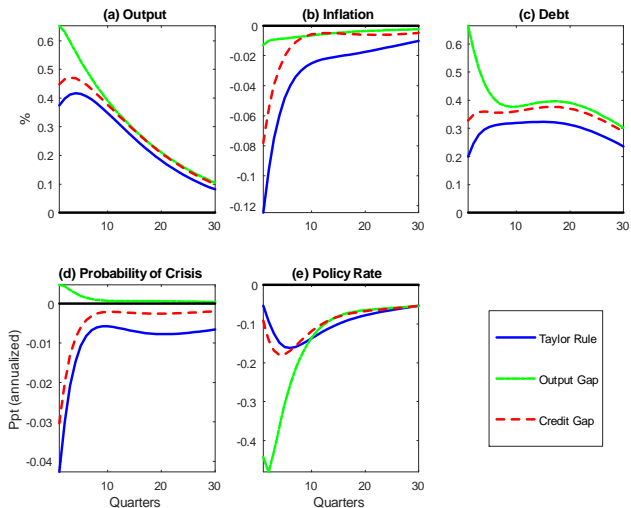
# IRFs to Financial Shock

Taylor99 vs Optimized OG vs Optimized LAW



# IRFs to Technology Shock

Taylor99 vs Optimized OG vs Optimized LAW



# Comparing Optimal Simple Rules

Table: Benchmark Model

	Output gap only	Credit gap only	Both gaps
Welfare gain (CE %)	–	0.065	0.081
Coefficient $\phi_y$	100	–	100
Coefficient $\phi_b$	–	1.88	83.37
$100 \times \text{SD}(\Pi)$	0.30	0.51	0.48
$100 \times \text{SD}(Y)$	1.71	2.84	2.52
$400 \times \text{E}(\text{crisis prob})$	2.08	2.02	2.02
$400 \times \text{SD}(\text{crisis prob})$	0.61	0.22	0.26

- The credit gap rule delivers slightly higher welfare. Here we report consumption equivalent differences.

# Comparing Optimal Simple Rules

Table: Benchmark Model

	Output gap only	Credit gap only	Both gaps
Welfare gain (CE %)	–	0.065	0.081
Coefficient $\phi_y$	100	–	100
Coefficient $\phi_b$	–	1.88	83.37
$100 \times \text{SD}(\Pi)$	0.30	0.51	0.48
$100 \times \text{SD}(Y)$	1.71	2.84	2.52
$400 \times \text{E}(\text{crisis prob})$	2.08	2.02	2.02
$400 \times \text{SD}(\text{crisis prob})$	0.61	0.22	0.26

- Gains from the credit gap rule come despite higher volatility of inflation and output

# Comparing Optimal Simple Rules

Table: Benchmark Model

	Output gap only	Credit gap only	Both gaps
Welfare gain (CE %)	–	0.065	0.081
Coefficient $\phi_y$	100	–	100
Coefficient $\phi_b$	–	1.88	83.37
$100 \times \text{SD}(\Pi)$	0.30	0.51	0.48
$100 \times \text{SD}(Y)$	1.71	2.84	2.52
$400 \times \text{E}(\text{crisis prob})$	<b>2.08</b>	<b>2.02</b>	<b>2.02</b>
$400 \times \text{SD}(\text{crisis prob})$	<b>0.61</b>	<b>0.22</b>	<b>0.26</b>

- Gains from the credit gap rule are due to lower crisis risk and less volatility in the crisis risk

## What drives the result?

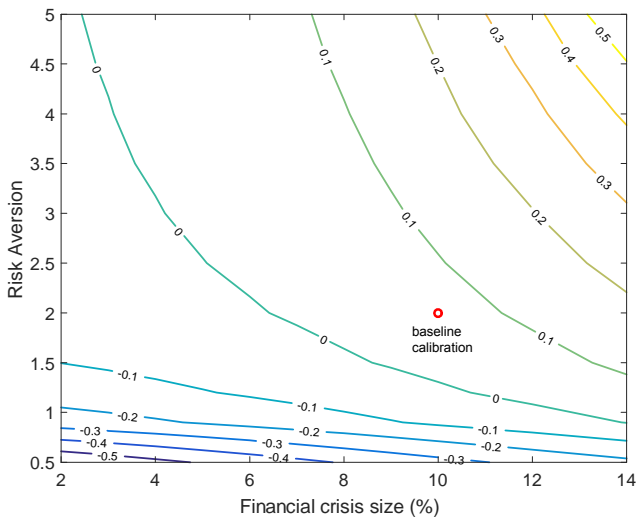
- Without credit shocks, stabilizing output gap is optimal:
  - offset the demand shock completely
  - accommodate the technology shock
  - “Divine coincidence” of Blanchard and Gali (2007)
  - and also consistent with Bernanke-Gertler (1999)
- With credit shocks, stabilizing output gap still better than credit gap if financial crises are exogenous.
  - Little benefit to offsetting credit shocks, focus on inflation and output
- Credit shocks + endogenous financial crises are critical for result.

# What matters for these results?

- Clearly parameter-dependent:
  - size of output lost in a financial crisis (benchmark: 10%)
  - risk aversion (benchmark: 2)
  - variance of inefficient credit shocks (benchmark: 20% of output variance)
  - sensitivity of crisis to the credit gap
- Note model supposes:
  - small effect of MP on the probability of a financial crisis
  - long-run neutrality of monetary policy



# Effects of Risk Aversion and Crisis Size



# Volatility of Credit Shocks

**Table:** Effect of Standard Deviation of Financial Shocks on Optimal Policy

SD. of financial shocks (relative to benchmark)	33%	66%	100% (benchmark)	133%	166%
Optimal coeff. on credit $\phi_b$	96.1	2.96	1.88	1.55	1.41
Cons. equivalent (%)	0.002	0.022	0.065	0.126	0.207
SD(Y) under LAW	1.97	2.38	2.85	3.34	3.87
SD( $\pi$ ) under LAW	0.19	0.36	0.51	0.65	0.81
Mean(crisis prob): LAW	2.00	2.00	2.02	2.04	2.08
SD(crisis prob): LAW	0.7	0.13	0.22	0.31	0.40

- The relative performance of the credit gap rule grows as inefficient credit shocks become more volatile
- Tradeoff is always between fewer crises and less volatility in crisis risk versus more volatility in inflation and output.

# Effect of Mismeasurement

Table: Optimal Policy Rules with Mismeasured Gaps

	Output gap only	Credit gap only	Both gaps
Cons. equivalent (%)	0	0.124	0.124
Coefficient $\phi_y$	100	0	0.02
Coefficient $\phi_b$	0	1.59	1.61
$100 \times \text{SD}(\Pi)$	0.39	0.53	0.53
$100 \times \text{SD}(Y)$	0.00	2.41	2.40
$400 \times \text{E}(\text{crisis prob})$	2.09	2.01	2.01
$400 \times \text{SD}(\text{crisis prob})$	0.70	0.34	0.34

- LAW does even better when the output and credit gaps are both imperfectly measured

# Conclusion

- LAW is more likely to be advantageous when
  - Crises are endogenous
  - Inefficient credit fluctuations are more important
  - Losses in crises are bigger
  - Risk aversion is higher
  - Output and credit gaps are poorly measured
- **Warning: Many of these conditions are hard to estimate**
- When LAW is welfare improving it trades off crisis prevention against more volatile inflation and output in normal times

# IRFs to Demand Shock

## Alternative Rules

- $R_t = 0.85R_{t-1} + 0.15[R^* + 1.5(\pi_t - \pi^*) + \phi_y \log(\hat{y}_t) + \phi_b \log(\hat{b}_t)]$

