## Trade-induced structural change and the skill premium

Javier Cravino and Sebastian Sotelo University of Michigan

IMF/DFID Workshop on Macroeconomic Policy and Income Inequality February 2017

#### How does trade affect structural change and the skill premium?

- Policy concerns in developed countries:
  - Manufacturing jobs moving overseas
  - Competition from developing countries lowering unskilled wages
- Predictions of standard trade theory (Heckscher–Ohlin):
  - Exporting sectors grow
  - ► Skill premium increases in skill-abundant countries, decreases elsewhere
- ▶ This paper: Propose and quantify an alternative mechanism
  - ► Manufacturing trade reduces relative price of manufactures in all countries
  - ▶ Share of manufacturing in value added declines in all countries
  - Rewards to factors used intensively in manufacturing decline

#### What we do: Data

Document 3 differences across broad sectors:

- 1. Trade integration between 1995-2007
  - Share of expenditures in domestic goods declined in agriculture, mining, manufacturing
  - ▶ Share of expenditures in domestic services constant in service sectors

#### What we do: Data

Document 3 differences across broad sectors:

- 1. Trade integration between 1995-2007
  - Share of expenditures in domestic goods declined in agriculture, mining, manufacturing
  - ▶ Share of expenditures in domestic services constant in service sectors
- 2. Skilled- and unskilled labor intensities
  - Agriculture, mining and manufacturing are unskilled labor intensive
  - ► Some services (construction, retail) are unskilled labor intensive
  - Other services (FIRE, health) are skilled labor intensive

#### What we do: Data

Document 3 differences across broad sectors:

- 1. Trade integration between 1995-2007
  - Share of expenditures in domestic goods declined in agriculture, mining, manufacturing
  - ▶ Share of expenditures in domestic services constant in service sectors
- 2. Skilled- and unskilled labor intensities
  - ► Agriculture, mining and manufacturing are unskilled labor intensive
  - Some services (construction, retail) are unskilled labor intensive
  - Other services (FIRE, health) are skilled labor intensive
- 3. Use of capital and intermediate inputs
  - Low-skilled intensive sectors (highly traded and not) use more inputs from good producing sectors

#### What we do: Model

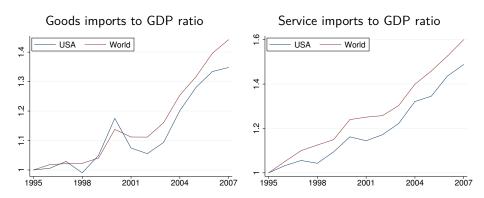
- Multi-country, multi-sector Ricardian model of trade
  - Heterogeneous workers
  - 3 sectors differ in factor and inputs intensities and tradability
  - Allow for trade imbalances across sectors
  - Low substitutability across sectors
- 2 counterfactual exercises
  - 1. Changes in trade costs between 1995-2007
  - 2. Sufficient statistics approach: changes in trade patterns
- Results (C1)
  - ▶ Manufacturing share decline in average country 8% model vs 21% data
  - ► S-P increases in most countries (2.1% on average, up to 10% for some developing countries)

#### Literature

- ► Trade and skill premium:
  - ► Theory and empirics on H-O: Summary in Goldberg and Pavcnik [2007]
  - Quantitative models other mechanisms: Burstein, Cravino and Vogel [2013]; Parro [2013]; Burstein and Vogel [2015]; Lee [2016]

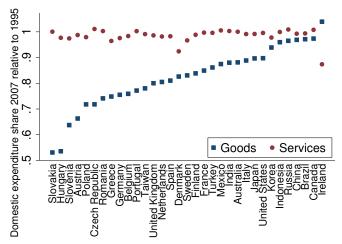
- ► Trade and structural change: Matsuyama [2009]; Uy, Yi and Zhang [2013]; ; Fajgelbaum and Redding [2014]; Kehoe, Ruhl and Steinberg [forthcoming]
- ▶ Skill-biased structural change: Buera, Kaboski and Rogerson [2015]

### Observation 1: Fast growth in goods and services trade...



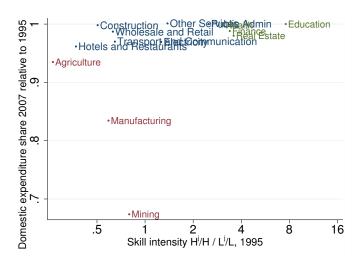
► Goods: Agriculture + Manufacturing + Mining. Source: WIOD.

# Observation 1: ...but share of expenditures on domestic services roughly constant



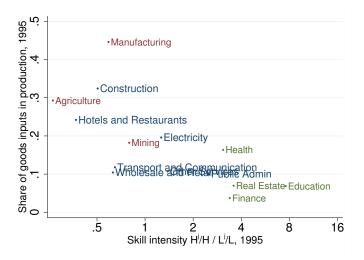
- lacktriangledown Domestic expenditure share:  $\pi_t^j \equiv 1 \mathit{Imports}_t^j / \left(\mathit{Output}_t^j + \mathit{Imports}_t^j \mathit{Exports}_t^j\right)$
- Y-axis:  $\pi_{2007}^j/\pi_{1995}^j$ ;

# Observation 2: Decline in domestic expenditure shares in unskilled-labor intensive sectors



World average. H: college graduates. Source: WIOD SEA

# Observation 3: Unskilled-labor intensive sectors use more inputs from manufacturing, agriculture and mining



World average. Input shares from WIOD.

#### Model

- i = 1, ..., I countries, j = 1, ..., 3 sectors
- ► Production uses
  - ightharpoonup skilled labor,  $L_i$
  - intermediate inputs from each sector X<sub>i</sub><sup>j</sup>
- Labor endowments are fixed
- Factors and goods markets perfectly competitive
- ► Iceberg trade costs

#### **Preferences**

Utility of the representative household in country i

$$C_i = \left[\sum_j ar{\phi}_i^{jrac{1}{
ho}} \left[C_i^j
ight]^{rac{
ho-1}{
ho}}
ight]^{rac{
ho}{
ho-1}}$$

► Budget constraint

$$s_i H_i + w_i L_i = \sum_j P_i^j C_i^j + NX_i$$

▶  $NX_i$  < 0 country is running a deficit

# Technologies: Sectorial output

► Sector *i* combines tradeable intermediate goods

$$Y_i^j = \left[\int_0^1 q_i^j(\omega)^{\frac{\eta_i-1}{\eta_i}} d\omega\right]^{\frac{\eta_i}{\eta_i-1}}$$

► Final goods are non-tradeable

$$Y_i^j = C_i^j + X_i^j$$

# Technologies: Intermediate goods

► Technology for intermediate goods

$$q_i^j(\omega) = A_i^j z_i^j(\omega) m_i^j(\omega)^{1-\beta_i^j} e_i^j(\omega)^{\beta_i^j}$$

• Sectoral productivity  $A_i^j$ ; idiosyncratic productivity:  $z_i^j(\omega)$ 

$$z_i^j(\omega) = u^{-\theta^j}, \ u \sim \exp(1)$$

► Labor bundle

$$e_{i}^{j}(\omega) \equiv \left[\left[ar{\mu}_{i}^{j}\right]^{rac{1}{\gamma}}f_{i}^{j}(\omega)^{rac{\gamma-1}{\gamma}}+\left[1-ar{\mu}_{i}^{j}
ight]^{rac{1}{\gamma}}f_{i}^{j}(\omega)^{rac{\gamma-1}{\gamma-1}}
ight]^{rac{\gamma}{\gamma-1}}$$

▶ Intermediate inputs bundle

$$m_i^j(\omega) \equiv \left[\sum_{l=1}^J \left[\bar{\alpha}_i^{lj}\right]^{\frac{1}{\rho}} x_i^{lj}(\omega)^{\frac{\rho-1}{\rho}}\right]^{\frac{\rho}{\rho-1}}$$

# Equilibrium

Unit cost of producer (ω) in sector j

$$c_{in}^{j}(\omega) = \frac{\bar{\beta}_{i}^{j} \left[ p_{v,i}^{j} \right]^{\beta_{i}^{j}} \left[ p_{b,i}^{j} \right]^{1-\beta_{i}^{j}} \tau_{in}^{j}}{A_{i}^{j} z_{i}^{j}(\omega)}$$

Prices

$$p_n^j(\omega) = min_i \left\{ c_{in}^j(\omega) \right\}$$

▶ Trade shares

$$\pi_{in}^{j} = rac{\left[ au_{in}^{j} c_{i}^{j}/A_{i}^{j}
ight]^{-1/ heta^{j}}}{\sum_{s} \left[ au_{si}^{j} c_{s}^{j}/A_{s}^{j}
ight]^{-1/ heta^{j}}}$$

Price indexes

$$P_i^j = \Xi_i^j \left[ c_i^j / A_i^j \right] \pi_{ii}^{j \, \theta^j}$$

# Sectoral value-added shares and the skill premium

▶ Log-change in skill premium

$$ilde{\mathbf{s}}_i - ilde{\mathbf{w}}_i = rac{1}{ar{\gamma}} \left[ ilde{L}_i - ilde{H}_i 
ight] + rac{1}{ar{\gamma}} \sum_j \left[ rac{H_i^j}{H_i} - rac{L_i^j}{L_i} 
ight] ilde{\mathbf{v}}_i^j$$

- $\mathbf{v}_{i}^{j}$  is share of sector j in value added
- $\bar{\gamma}_i \equiv \gamma \sum_j \frac{\mu_i^j}{\mu_i} \frac{H_i^j}{H_i} + \left[ 1 \sum_j \frac{\mu_i^j}{\mu_i} \frac{H_i^j}{H_i} \right] > 0$
- $ightharpoonup rac{s_i}{w_i}$  decreasing in  $v_i^j$  if  $rac{L_i^j}{L_i} > rac{H_i^j}{H_i}$

# Relative prices and revenue shares

Special case: same  $\beta_i$ ,  $\alpha_i$ ,  $\phi_i$  across sectors.

► Log-change in value-added shares:

$$\tilde{v}_i^j = [1-
ho] \left[ \tilde{P}_i^j - \sum_j v_i^j \tilde{P}_i^j \right] + \frac{\tilde{\lambda}_i^j}{r_i^j} - \sum_j v_i^j \frac{\tilde{\lambda}_i^j}{r_i^j},$$

 $\lambda_i^j = 1 + NX_i^j/R_i$ : ratio of sectorial net exports to revenues.  $r_i^j$ : share of sector j in revenues

- $\triangleright v_i^j$  increases in  $\lambda_i^j$
- $v_i^j$  increasing in  $P_i^j$  if  $\rho < 1$ 
  - $\triangleright P_i^j$  determined in equilibrium

#### Result

**Proposition:** Given parameters, a country skill premium can be calculated using only

- 1. Domestic expenditure shares  $\pi_{ii}^{j}$ 's
- 2. Sectoral net exports to revenues ratios  $1+NX_i^j/R_i\equiv \lambda_i^j$ 's
- 3. Domestic endowments and technologies  $H_i$ ,  $L_i$   $A_i^j$
- Implication:  $\pi_{ii}^J$ 's and  $\lambda_i^J$ 's are sufficient statistics for all international forces affecting revenue shares and the skill premium Equilibrium Characterization

# Trade and the skill premium

► Log-change in skill premium

$$\tilde{s}_i - \tilde{w}_i = \frac{1}{\Gamma_i} \left[ \tilde{L}_i - \tilde{H}_i \right] + \sum_j \xi_{i,\pi}^j \left[ \tilde{\pi}_{ii}^j - \tilde{A}_i^j \right] + \sum_j \xi_{i,\lambda}^j \tilde{\lambda}_i^j$$

- ▶ Special case:  $\beta_i$ ,  $\alpha_i$ ,  $\phi_i$  constant across sectors
  - $ightharpoonup \Gamma_i \equiv \gamma_i \gamma + [1 \gamma_i] \rho > 0$ 
    - $\blacktriangleright \ \xi_{i,\pi}^j = \frac{\theta^j [1-\rho]}{\Gamma_i} \left[ \frac{H_i^j}{H_i^j} \frac{L_i^j}{L_i^j} \right] < 0 \text{ if } \rho < 1 \text{ \& } \frac{H_i^j}{H_i^j} < \frac{L_i^j}{L_i^j}$

# Trade and the skill premium

► Log-change in skill premium

$$\tilde{s}_i - \tilde{w}_i = \frac{1}{\Gamma_i} \left[ \tilde{L}_i - \tilde{H}_i \right] + \sum_j \xi_{i,\pi}^j \left[ \tilde{\pi}_{ii}^j - \tilde{A}_i^j \right] + \sum_j \xi_{i,\lambda}^j \tilde{\lambda}_i^j$$

- ▶ Special case:  $\beta_i$ ,  $\alpha_i$ ,  $\phi_i$  constant across sectors
  - $\Gamma_i \equiv \gamma_i \gamma + [1 \gamma_i] \rho > 0$

$$\blacktriangleright \ \xi_{i,\pi}^j = \frac{\theta^j [1-\rho]}{\Gamma_i} \left[ \frac{H_i^j}{H_i} - \frac{L_i^j}{L_i} \right] < 0 \text{ if } \rho < 1 \ \& \ \frac{H_i^j}{H_i} < \frac{L_i^j}{L_i}$$

# Trade and the skill premium

► Log-change in skill premium

$$\tilde{s}_i - \tilde{w}_i = \frac{1}{\Gamma_i} \left[ \tilde{L}_i - \tilde{H}_i \right] + \sum_j \xi_{i,\pi}^j \left[ \tilde{\pi}_{ii}^j - \tilde{A}_i^j \right] + \sum_j \xi_{i,\lambda}^j \tilde{\lambda}_i^j$$

- ▶ Special case:  $\beta_i$ ,  $\alpha_i$ ,  $\phi_i$  constant across sectors
  - $\Gamma_i \equiv \chi_i \gamma + [1 \chi_i] \rho > 0$ 
    - $\xi_{i,\pi}^{j} = \frac{\theta^{j}[1-\rho]}{\Gamma_{i}} \left[ \frac{H_{i}^{j}}{H_{i}} \frac{L_{i}^{j}}{L_{i}} \right] < 0 \text{ if } \rho < 1 \text{ \& } \frac{H_{i}^{j}}{H_{i}} < \frac{L_{i}^{j}}{L_{i}}$
    - $\blacktriangleright \xi_{i,\lambda}^j = \frac{1}{r_i^j \Gamma_i} \left[ \frac{H_i^j}{H_i} \frac{L_i^j}{L_i} \right] < 0 \text{ if } \frac{H_i^j}{H_i} < \frac{L_i^j}{L_i}$

# Taking the model to the data

Allow for many industries within each sector

$$Y_i^j = \prod_{k \in K^j} Y_i^j(k)^{\sigma_i^j(k)}$$

- Identical production function across industries within sector
  - Industries only differ in  $\theta^{j}(k)$ ,  $\sigma_{i}^{j}(k)$
  - but  $\mu_i^j(k) = \mu_i^j$

#### Parameterization

- 3 sectors:
  - $\rightarrow$  j = G (manufacturing, agriculture, mining)
  - $\downarrow j = F$  (FIRE, health, education)
  - j = S (other services)
- lacktriangle Sectorial labor intensities  $[\frac{H_i^l}{H_i},\frac{L_i^l}{L_i}]$  aggregate labor shares  $\mu_i$  from WIOD SEA
- Sectorial input intensities  $[\beta_i^j, \alpha_i^{jl}]$  from WIOD
- $\hat{\pi}_{ii}^{j}$  and  $\hat{\lambda}_{i}^{j}$  from WIOD
- Elasticities constant across countries:
  - Goods across sectors: ho=0.2, match prices and expenditure shares ho
  - Workers within sectors:  $\gamma = 1.51$ , match Katz-Murphy [1992]
  - ▶ Trade elasticities  $\theta^j$  from Caliendo-Parro [2015]

# Data summary

► Sample: 33 countries, 1995-2007

Data summary: Average country								
	$\hat{\pi}^{j}_{ii}$	$\frac{H_i^j}{H_i} - \frac{L_i^j}{L_i}$	$\beta_i^j$	$\alpha_i^{G,j}$				
S	0.98	-0.09	0.55	0.37				
G	0.82	-0.23	0.38	0.67				
F	0.98	0.32	0.68	0.23				

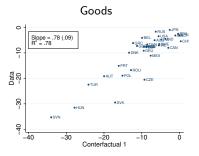
#### Counterfactual 1

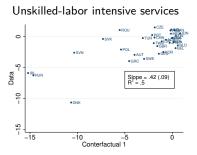
- ▶ Changes in trade costs between 1995-2007, fixing other fundamentals
- ► Estimate trade costs following Head and Reis (2001)

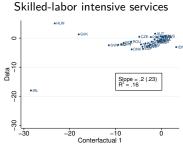
$$\hat{ au}_{ni}^j\hat{ au}_{in}^j=\left[rac{\hat{\pi}_{in}^j\hat{\pi}_{ni}^j}{\hat{\pi}_{nn}^j\hat{\pi}_{ii}^j}
ight]^{- heta^j}$$

- ► Compute counterfactual changes in equilibrium following hat algebra apprach in Dekle, Eaton and Kortum (2008)
  - No need or calibrate initial productivity or trade costs levels

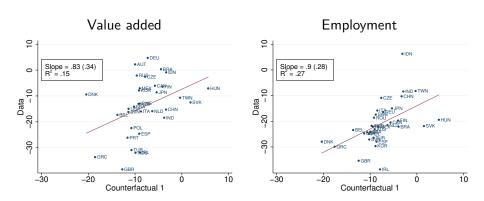
# C1: Changes in domestic expenditure trade shares - $\pi_{ii}^{j}$





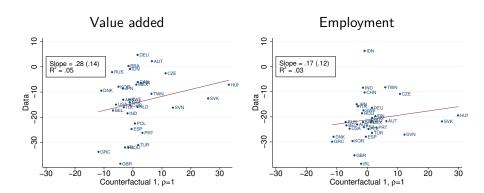


### C1: Changes in value-added and employment share of the goods sector



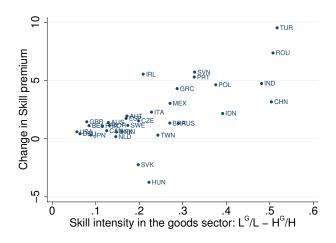
▶ Average change:  $\simeq -8$  percent in C1 vs.  $\simeq -20$  percent in data

# C1: No price effects ( $\rho = 1$ )



▶ Average decline:  $\simeq 0$  percent vs.  $\simeq -8$  percent in C1

# C1: Changes in skill premium



#### Counterfactual 2

Sufficient statistic approach: Take observed changes in  $\pi^j_{ii}$  and  $\lambda^j_i$  between 1980/1995-2007 as given

- ▶ How would sectorial shares and real wages change?
- From previous result:
  - We can conduct exercise without solving for multi-country general equilibrium
  - Only need data for domestic country

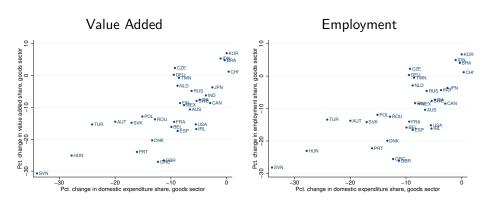
# Counterfactual 2: Interpretation

- ▶ Between t and t' change in primitives  $\left[\tilde{\mathcal{A}}_{i}^{j}, \tilde{H}_{i}, \tilde{\mathcal{L}}_{i}, \tilde{\tau}_{in}^{j}, \tilde{NX}_{i}\right]_{i,n}^{j}$  ⇒ resulting change skill premium:  $\tilde{s}_{i} \tilde{w}_{i}$
- Counterfactual autarkic economy, same factor shares and elasticities but  $\tau_{in} = \infty$  for  $n \neq i$ ,  $NX_i = 0$ . Same changes in primitives  $\left[\tilde{A}_i^j, \tilde{H}_i, \tilde{L}_i\right]_i^j \Rightarrow$  resulting change skill premium:  $\tilde{s}_i^A \tilde{w}_i^A$
- ► To a first order approximation:

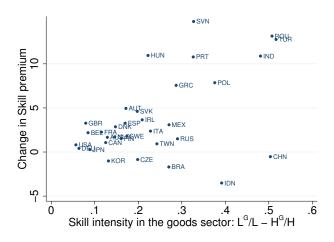
$$[\tilde{s}_i - \tilde{w}_i] - \left[\tilde{s}_i^A - \tilde{w}_i^A\right] = \sum_j \xi_{i,\pi}^j \tilde{\pi}_{ii}^j + \sum_j \xi_{i,\lambda}^j \tilde{\lambda}_i^j$$

► Exercise answers: What are the additional effects of changes in primitives on the skill premium in an open economy relative to a closed economy?

# C2: Changes in share of the good sector in value added and employment



# C2: Changes in skill premium



Skill premium increases in most countries

# C2: Earlier periods

Country	Period	Percent change in:		
Country		$\pi^G_{ii}$	$v_{ii}^G$	$s_i/w_i$
USA	77-07	-10.8	-20.1	3.1
UK	79-07	-20.1	-23.9	6.6
Canada	81-07	-22.2	-15.6	4.4
ltaly	85-07	-7.8	-0.8	2.0
Japan	80-07	-2.6	1.4	-0.1
Netherlands	81-07	-34.5	-20.2	6.6

# The skill premium and the factor content of trade

Payments to skilled labor:

$$w_i L_i = \sum_i \mu_i^j \beta_i^j R_i^j = \sum_i \mu_i^j \beta_i^j Y_i^j + w_i FCT_i^L$$

where 
$$FCT_i^L \equiv \frac{1}{w_i} \sum_j \mu_i^j \beta_i^j \left[ R_i^j - Y_i^j \right]$$

# The skill premium and the factor content of trade

► Payments to skilled labor:

$$w_i L_i = \sum_i \mu_i^j \beta_i^j R_i^j = \sum_i \mu_i^j \beta_i^j Y_i^j + w_i FCT_i^L$$

where  $FCT_i^L \equiv \frac{1}{w_i} \sum_j \mu_i^j \beta_i^j \left[ R_i^j - Y_i^j \right]$ 

► Then

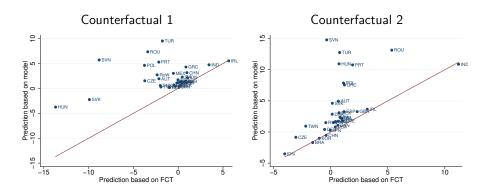
$$w_i = \frac{\sum_j \mu_i^J \beta_i^J Y_i^J}{L_i - FCT_i^L}.$$

▶ The skill premium can be written as

$$\frac{s_i}{w_i} = \frac{L_i - FCT_i^L}{H_i - FCT_i^H} \times \frac{\sum_j \left(1 - \mu_i^j\right) \beta_i^j Y_i^j}{\sum_i \mu_i^j \beta_i^j Y_i^j}.$$

If  $Y_i^j = \alpha_i^j Y_i$  and  $\mu_i^j = \bar{\mu}_i^j$  all we need is change in FCT (Deardorff-Staiger 1988, Burstein-Vogel 2011)

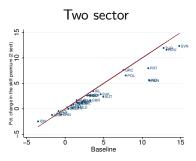
# The skill premium prediction based on FCT

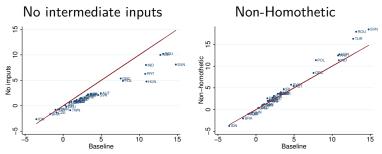


# Alternative parameterizations

- 1. Two sector model:
  - Aggregate all services into one sector
- 2. No Intermediate inputs
  - $\qquad \qquad \beta_i^j = 1$
- 3. Non-Homothetic preferences to allow for income effects (Comin et al., 2015; Hanoch, 1975):

# Change in skill premium C2 : Alternative parameterizations

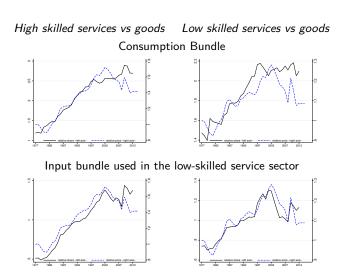




## Taking stock

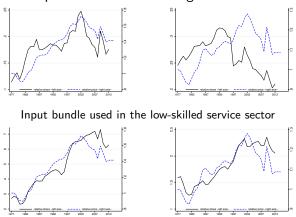
- 1. Data: Low skilled intensive sectors are more tradeable or use more intermediate inputs (or both)
- 2. New mechanism linking trade to the skill premium
  - Trade lowers prices and value added in unskilled-labor intensive sectors in all countries
  - Rewards for factor used intensively in these sector decline
  - Quantitative calculations country by country
- Channel quantitatively important for various developing and developed countries

### Relative prices vs. Relative shares



# Relative prices vs. Relative shares II

High skilled services vs goods Low skilled services vs goods Input bundle used in the goods sector



#### **Estimation Results**

$$\log \left( \frac{P_i^j C_i^j}{P_i^{j'} C_i^{j'}} \right) = \log \left( \frac{\bar{\phi}_i^j}{\bar{\phi}_i^{j'}} \right) + (1 - \rho) \log \left( \frac{P_i^j}{P_i^{j'}} \right) + (\varepsilon_j - \varepsilon_{j'}) \log C_i.$$

$$\log \left( \frac{P_i^l x_i^{lj}}{P_i^{l'} x_i^{lj}} \right) = \log \left( \frac{\bar{\alpha}_i^{lj}}{\bar{\alpha}_i^{l'j}} \right) + (1 - \rho) \log \left( \frac{P_i^l}{P_i^{l'}} \right).$$

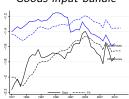
		Joint			
	Consumption	Unskilled	Skilled	Goods	
$1-\rho$	0.451**	0.987***	0.938***	1.085***	1.004***
	(0.142)	(0.138)	(0.132)	(0.171)	(0.056)

#### Estimation Fit

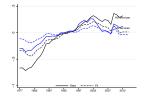
Consumption Bundle



Goods input bundle



#### Unskilled-labor intensive services input bundle



Skilled-labor intensive services input bundle

