

IMF Working Paper

How Big are Fiscal Multipliers in Latin America?

Jorge E. Restrepo

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Abstract

This paper uses the strategy and data of Blanchard and Perotti (BP) to identify fiscal shocks and estimate fiscal multipliers for the United States. With these results, it computes the cumulative multiplier of Ramey and Zubairy (2018), now common in the literature. It finds that, contrary to the peak and trough multipliers reported by BP, the cumulative tax multiplier is much larger than the cumulative spending one. Hence, the conclusions depend on the definition of multiplier. This methodology is also used to estimate the effects of fiscal shocks on economic activity in eight Latin American countries. The results suggest that the fiscal multipliers vary significantly across countries, and in some cases multipliers are larger than previously estimated. The cumulative multipliers are, in most cases, larger that the peak/trough ones in LAC. Knowing the size of the multiplier could help design better fiscal plans.

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I. INTRODUCTION¹

Fiscal deficits and public debt have risen significantly in many economies in Latin America and the Caribbean (LAC) in recent years. This is the result of a fiscal stimulus implemented in 2008-09 that was not reversed and a fall in revenues led by a decline in commodity prices and economic activity since 2013. As a result, LAC countries are now implementing fiscal consolidation measures and will continue to do so in the coming years (Regional Economic Outlook Western Hemisphere, October 2018). In this context, it is key to know the effects of fiscal measures. Knowing the size of fiscal multipliers could help design better fiscal plans.

To contribute to this discussion, this paper uses the strategy of Blanchard and Perotti (2002) (BP) to identify fiscal shocks and estimate fiscal multipliers for eight LAC economies. BP's strategy uses time-series to econometrically identify movements in government spending and tax revenues that are exogenous to the economic cycle. As explained in Sims (1980), the econometric approach imposes as few restrictions as possible on the relations among the endogenous variables and allows the data to speak for itself as much as possible.

SVARs in first differences and in some cases SVECs are estimated. Two definitions of multipliers are used: 1) the peak spending or trough tax multipliers of Blanchard and Perotti; and 2) the two-year cumulative multiplier (two -year cumulated response of GDP to the two-year cumulated response of government spending or tax revenues) as in Ramey and Zubairy (2018). The size of the multipliers could depend on many factors like income, degree of openness, government size, debt level, composition of spending and taxes, business cycle. However, trying to explain multiplier differences is beyond the scope of this paper, given the small number of countries in the sample.

Section II discusses BP's approach in detail and shows some interesting results that come out from their estimation for the United States. Section III shows the results, country by country, for eight LAC economies. Section IV concludes and hints some general policy recommendation.

II. BLANCHARD AND PEROTTI'S (BP'S) APPROACH FOR THE UNITED STATES

BP's strategy consists of unveiling an unobservable structural model starting from a reducedform vector autoregression $X_t = E(L, q)X_{t-1} + e_t$, where $X_t = [S_t, T_t, Y_t]'$ includes the logarithm of quarterly real, per capita: spending (government consumption and investment), tax revenue (minus transfers and interest payments), and GDP, respectively, and e_t is the vector of estimated residuals.² To obtain the structural model and shocks, it is first assumed that there is a linear relationship between the reduced-form estimated residuals e_t and the structural uncorrelated shocks u_t :

¹ I thank comments by Jaime Guajardo and members of the country teams: Pelin Berkmen, Julia Faltermeier, Pedro Rodriguez, Tobias Roy, and Christian Saborowski (WHD); Jiro Honda, Babacar Sarr, and Hiroaki Miyamoto (FAD), as well as excellent research assistance by Genevieve Lindow.

² Where the *E*s are the coefficients obtained estimating the reduced-form.

$$e_t^s = b_1 e_t^y + b_2 u_t^T + u_t^s$$
(1.1)

$$e_t^T = a_1 e_t^{\gamma} + a_2 u_t^s + u_t^T$$
 (1.2)

$$e_t^{y} = c_2 e_t^{s} + c_1 e_t^{T} + u_t^{y}.$$
(1.3)

In Blanchard and Perotti's SVAR, it is initially assumed that unexpected movements in spending (e_t^s) are due to GDP forecast errors $(b_1e_t^y)$, structural shocks to taxes $(b_2u_t^T)$, and structural shocks to government spending (u_t^s) . Forecast errors in taxes (e_t^T) are due to surprise movements in GDP $(a_1e_t^y)$, structural shocks to spending $(a_2u_t^s)$, and structural shocks to taxes (u_t^T) . Finally, GDP forecast errors (e_t^y) are due to surprise movements in spending $(c_2e_t^s)$, surprise movements in taxes $(c_1e_t^T)$, and structural shocks to GDP (u_t^y) .

Which in matrix form is expressed as:

pre-multiplying this expression by the inverse of A, yields $e_t = A^{-1}Bu_t$:

$$\begin{bmatrix} e_t^s \\ e_t^r \\ e_t^Y \end{bmatrix} = \begin{bmatrix} 1 & 0 & -b_1 \\ 0 & 1 & -a_1 \\ -c_2 & -c_1 & 1 \end{bmatrix}^{-1} \begin{bmatrix} a_b \\ 1 & b_2 & 0 \\ a_2 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} u_t^s \\ u_t^T \\ u_t^Y \end{bmatrix}$$
(1.5)

Let call $A^{-1}B = F$ then, $e_t = Fu_t$. *F* is the matrix used to obtain the structural model and to build the impulse responses. With *F*, one can go from the reduced form, $X_t = E_1X_{t-1} + e_t$, to the structural VAR, $F^{-1}X_t = G_1X_{t-1} + u_t$, and vice versa. The relation among the reduced-form innovations and the structural shocks imply contemporaneous relations among the endogenous variables, where F^{-1} reflects those relations.

Once the reduced form is estimated, one needs to find A^{-1} and B to get F, given that we want the structural model, which is uncovered by pre-multiplying the reduced form VAR, $X_t = E_1 X_{t-1} + e_t$, by F^{-1} namely, $F^{-1} X_t = F^{-1} E_1 X_{t-1} + F^{-1} e_t$, where: $F^{-1} = B^{-1} A$.

Substituting F^{-1} , the model $F^{-1}X_t = F^{-1}E_1X_{t-1} + F^{-1}e_t$ becomes $B^{-1}AX_t = B^{-1}AFG_1X_{t-1} + B^{-1}AA^{-1}Bu_t$. And using $e_t = A^{-1}Bu_t$, $E_i = FG_i$, $F^{-1} = B^{-1}A$ also $F = A^{-1}B$, and $I = B^{-1}AA^{-1}B$, simplification uncovers the structural shocks and structural coefficients Gs, and Fs are found: $F^{-1}X_t = G_1X_{t-1} + u_t$,

In Structural Vector Autoregressive (SVAR) models, there are more unknown coefficients in the structural model than information in the reduced-form VAR estimation. Thus, to uncover the coefficients included in matrices A, B and G, it is necessary to impose restrictions on some parameters, which need to make institutional and economic sense.

The assumptions in BP are used: 1) the government does not change spending in response to GDP within the quarter, such that $b_1 = 0$; 2) either spending decisions are taken before those on taxation (spending shock), and thus $b_2 = 0$ and a_2 is estimated or, decisions on taxes are taken first (tax shock), so $a_2 = 0$ and b_2 is estimated.

BP estimate a_1 outside the system—the effect of GDP's forecast errors on tax revenues. Using regressions for different taxes, BP obtain the elasticity of the tax base to GDP as well as the elasticity of tax collection to the tax base and combine them. BP's estimate of this combined elasticity, which is 2, is used for all countries here, although the identification of the shocks is not very sensitive to the size of this constant.³

BP also obtained c_1 and c_2 outside the system, estimating equation (1.3) with instrumental variables. Since causality goes both ways—taxation and GDP affect each other—BP uses the cyclically adjusted, reduced-form tax residual $er_t = e_t^T - a_1 e_t^y$ as an instrument, and only estimate a_2 inside the SVAR using MLE to get the impulse responses after a spending shock, or estimate b_2 after a tax shock. The reduced-form VAR used by BP to obtain the errors in equations 1.1 to 1.3 included a large set of seasonal dummies to allow for the coefficients at each lag to depend on the particular quarter that indexes the dependent variable. This is because there are seasonal patterns in the response of taxes to economic activity. A tax that is usually paid during the last quarter of the year depends on GDP in the current and the past three quarters, but that tax collection will be zero in the other three quarters, so it does not depend on GDP. Although, to obtain their impulse responses they estimate a VAR without quarter dependence. Hence, they get the average dynamic response to fiscal shocks.

However, this instrumental variable estimation strategy of c_1 and c_2 is not the only option. Those coefficients can also be estimated using MLE within the SVAR that produces the impulse responses. However, the estimates of c_1 and c_2 with MLE will differ from the IV estimation because the SVAR used to obtain the impulse responses does not include the dummies that allow for quarter dependence (Ouliaris, Pagan, Restrepo, 2016).

Also, the variance of the structural shocks can be freely estimated with the VAR but then the estimated **B** matrix should be normalized dividing each of its estimated columns by the standard deviation of the respective structural shock, i.e. dividing each element of that column by the element of such column that is on the diagonal of the estimated **B** matrix. Thus, the first column is divided by the standard deviation of the first structural shock \hat{B}_{11} , the second column is divided by the standard deviation of the second shock \hat{B}_{22} , and the third column is divided by \hat{B}_{33} . Indeed, c_1 and c_2 were alternatively obtained here within the SVAR without imposing that the variance of the structural shocks was 1.⁴

BP's timing assumption requires quarterly data on fiscal variables and real output, which reduces the sample of LAC countries to eight: Brazil, Chile, Colombia, Dominican Republic, Mexico, Paraguay, Peru, and Uruguay. The variables used were government revenue net of

³ Often, this elasticity is assumed to be 1 or slightly larger. A reasonable level for LAC could be between 1 and 2, since economic growth is associated with higher taxation, including through the effects of formalization. For the sake of pragmatism and comparability, the BP estimate of 2 was used for all countries here.

⁴ In some cases, one of these coefficients, c_1 and/or c_2 , was picked from the respective instrumental variable estimation if it was statistically significant.

interest payments and part of the subsidies and transfers; government spending, including expenditures on wages and goods and services plus investment and the remaining part of the transfers; and the country's GDP. To control for the effect of commodity prices and foreign demand on government revenues and spending, the estimation includes the terms-of-trade index and the trade-weighted foreign partners' GDP, as exogenous variables in the SVARs.

BP define the multiplier as the ratio of the peak (trough) response of GDP to the initial government spending (tax) unit shock. More specifically, BP want to get the multiplier being expressed as dollar for dollar. Thus, the original impulse responses, which are elasticities, $\left(\frac{\Delta y}{\Delta s/s}\right)$ in the case of public spending, given that the variables were estimated in logs, are transformed into dollar for dollar responses $\left(\frac{\Delta Y}{\Delta s}\right)$ by multiplying the former by $\left(\frac{Y}{s}\right)$, which is the average ratio of GDP to government spending.⁵ This paper will also compute the multiplier of Ramey and Zubairy (2018), which is defined as the cumulative response of GDP over the cumulative response of public spending (tax) over two years:

$$m = (\sum_{t=1}^{8} Yresponse_t / \sum_{t=1}^{8} Sresponse_t \text{ or } \sum_{t=1}^{8} Yresponse_t / \sum_{t=1}^{8} Tresponse_t)$$

This multiplier is also called the integral multiplier. To get the responses to shocks and the multipliers, one can compute $e_t = A^{-1}Bu_t$ or the same $e_t = Fu_t$, where F is computed using A and B, since $F = A^{-1}B$.

Given that Dickey-Fuller tests applied to US data were not conclusive, Blanchard and Perotti estimated two VAR specifications to obtain impulse responses and, with them, the spending and tax multipliers. One includes deterministic linear and quadratic trends, assuming that the variables of the VAR are trend stationary. The second estimation assumes that each variable has a stochastic trend (unit root), but there is no cointegration. Therefore, the first differences of the variables are included in the VAR. They also stated in their paper that they estimated a VEC model, not reported, imposing a cointegrating relation between spending and revenues with very similar results to the benchmark case. Their sample covers from 1960 to 1997.

Implications of the Definition of Multiplier

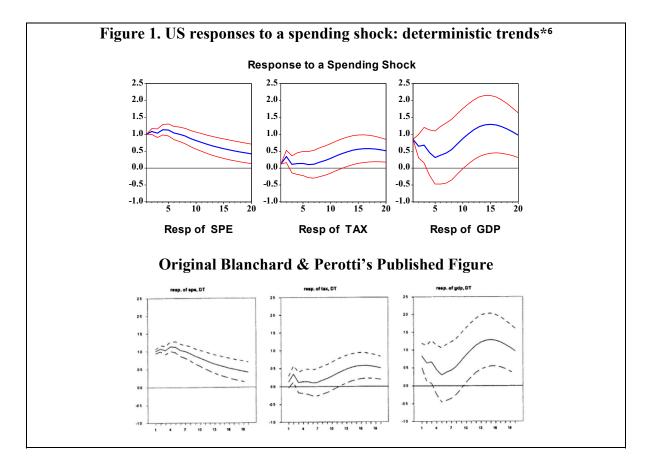
This paper replicates BP's impulse responses for the United States and use them to calculate both BP's definition of multipliers, as well as the integral spending and tax multipliers used by Ramey and Zubairy (2018). The results below show that using BP's data and estimation, the cumulative tax multiplier is much larger than the peak one as well as than the cumulative spending multiplier.

Spending shocks. Figure 1 shows the responses to a unit spending shock, when spending decisions come first ($b_2 = 0$ and a_2 is estimated). To reproduce BP's estimation, besides tax revenues, government spending and GDP, the VAR includes a quadratic polynomial in time to account for the presence of deterministic trends, seasonal dummies, and dummy variables

⁵ To get the dollar for dollar response of tax revenues to a spending shock $\left(\frac{\Delta T}{\Delta S}\right)$, the response of taxes $\left(\frac{\Delta t/t}{\Delta s/s}\right)$ should be multiplied by $\left(\frac{T}{S}\right)$. Similar calculations are performed to get the dollar for dollar tax multiplier $\left(\frac{\Delta Y}{\Delta T}\right)$.

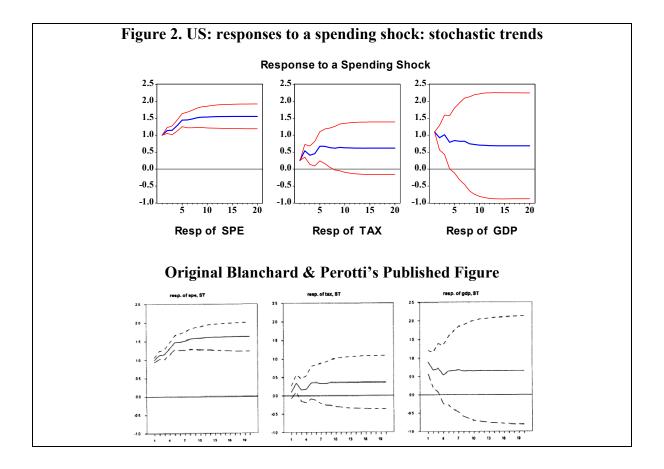
to account for the temporary tax cut in 1975. The figures show both the replication, in colors, and the original published chart.

As expected, spending shocks have a positive effect on output. According to BP, the peak multiplier is 1.29, reached in 15 quarters. Thus, one additional dollar of spending increases GDP by 1.29 dollars. Based on the responses obtained with the replication, the cumulative (integral) multiplier, $m = \frac{\sum_{t=1}^{8} Yresponse_t}{\sum_{t=1}^{8} Sresponse_t}$ is estimated at 0.52 after two years and 0.89 after four years, significantly smaller than the peak multiplier.



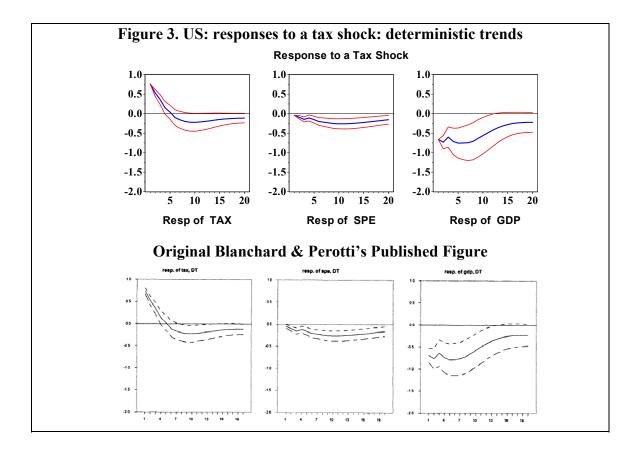
The second BP's VAR specification includes the first differences of the variables, assuming that the variables are not cointegrated. Figure 2 shows the respective impulse responses. BP find that the peak multiplier is 0.9, which is reached at impact. Based on the replicated estimation, the cumulative spending multiplier is 0.68 after two years and 0.55 after four years. Again, the cumulative spending multiplier is much smaller than the peak one reported by BP.

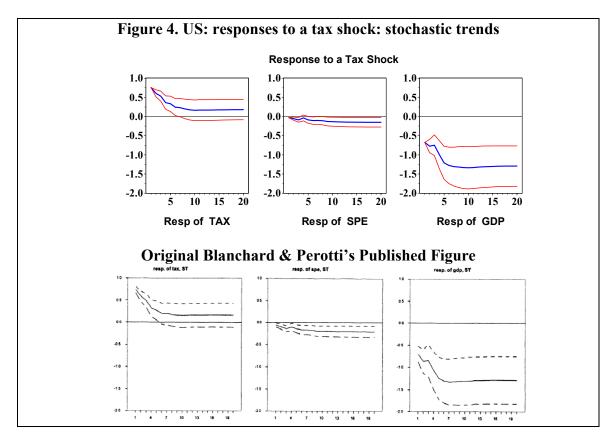
⁶All responses throughout the paper are dollar for dollar. For instance, a shock to government spending of one dollar generates 1.29 dollars of GDP reached in 15 quarters (Figure 1), i.e., the vertical axis corresponds to dollars in all impulse responses and all shocks are one-dollar shocks. Also, all figures show one-standard-deviation confidence intervals.



Tax shocks are also identified using BP's data and strategy, i.e., assuming that tax decisions come first ($a_2 = 0$ and b_2 is estimated). As before, the first estimation includes deterministic trends while the second uses variables in first differences. Tax hikes have a negative impact on GDP in both specifications. BP find that the trough multiplier obtained under the deterministic trend specification is -0.78, which is reached after 5 quarters (Figure 3). Using the replicated results, the cumulative tax multiplier $m \sum_{t=1}^{8} Yresponse_t / \sum_{t=1}^{8} Tresponse_t$ is computed at -1.9 after 5 quarters and at -4.0 after two years. With the stochastic trend specification, BP reports a trough multiplier of -1.33 seven quarters after the shock, while the cumulative tax multiplier is due to lower persistence of the tax response (denominator) than the spending one.

In summary, the cumulative spending multipliers computed as in Ramey and Zubairy (2018), but using BP's estimated impulse responses, are smaller than the point peak estimates reported by BP, while the cumulative tax multipliers are much larger. Hence, the definition of multiplier matters. BP's definition is in line with the VAR tradition (Sims, 1980), where the responses of the variables are traced after an exogenous shock leads to joint movements of variables. According to Ramey and Zubairy (2018), the cumulative multiplier may be a better representation when the effects of fiscal policy build over time.





III. MULTIPLIERS IN LAC COUNTRIES

This section reports the results obtained for the eight LAC countries. The data coverage and sources for each country are described in table 1. Dickey-Fuller test were performed for all country series (Table 2) and in most cases it is not possible to reject the unit root hypothesis. However, the results about cointegration between Spending (SS) and tax revenues (TT) are not conclusive with few exceptions.

A SVAR (or SVEC) is estimated, including spending, tax revenues and GDP [*ss, tt, yy*], all in real, per capita, terms. Since the goal is to identify exogenous shocks to public spending or taxes, the analysis controls for the country's terms of trade and trading partners' growth, which are included in the VAR as exogenous variables. Hence, movements in revenues or spending that are consequence of these exogenous variables are excluded from the set of exogenous spending and tax structural shocks. The SVAR-SVECs estimated here did not include any deterministic trend, but detrended the variables by having them in first differences.⁷ As in BP, variables in the VAR are the same either for spending or tax revenue structural shock identification.

	Series coverage	Sample	Source			
BRA	Central Government	1997:1 - 2017:2	Haver			
CHL	Central Government	1990:1 - 2017:2	Authorities, IFS, Haver			
COLCentral Government1995:1 - 2017:2Authorities, H						
DOM	Central Government	1991:1 - 2017:2	Central Bank			
MEX	Central Government	1990:1 - 2017:2	Authorities, Haver			
PER	Central Government	2003:1 - 2017:2	Authorities, Haver			
PAR	Central Government	2003:1 - 2017:2	Authorities, Haver			
URU	Central Government	2005:2 - 2017:2	Authorities, Haver			
USA	General Government	1960:1 - 1997:4	* http://econ- www.mit.edu/files/722			

Low frequency properties

Augmented Dickey-Fuller tests were performed to analyze the low frequency properties of the series used to estimate the multipliers. In the overwhelming majority of cases, it was not possible to reject the null hypothesis of the existence of a unit root (Table 2). Therefore, stationary SVARs with the variables in first differences were estimated. In addition, if the variables are cointegrated, structural vector error correction (SVEC) models were used to estimate the multipliers instead of SVARs.

⁷ The Dickey-Fuller test results point to the existence of stochastic trends and cointegration in Paraguay.

The unit root tests point to possible cointegration between taxes and spending in Chile, Colombia and Paraguay. In fact, unit root tests on the difference between tax collection, TT, and government spending, SS, show that it is stationary hinting that there is a long-run relation between these two variables. To obtain the multipliers for those countries, the analysis imposes a long-run cointegration restriction between the tax and the spending variables and estimates structural vector error correction models (SVEC), using the BP's short-run identification strategy. If there is cointegration, a SVAR in first differences would not be correctly specified –the error correction term would be missing. Thus, I would give more weight to the results obtained with the SVEC estimation, if having also the SVAR one.⁸

			YY	TT- SS	Critical values				
	SS	TT			No	trend	Trend		
					1%	5%	1%	5%	
Brazil	-2,81 (1,t)	-1.25 (5)	-1.12 (1)	-1.60 (1) ⁹	-3.52	-2.90	-4.08	-3.47	
Chile	-2.26 (8,t)	-2.94 (9,t)	-2.13 (9,t)	-4.13 (9,t)	-3.50	-2.89	-4.05	-3.45	
Colombia	-3.19 (1,t)	-4.82 (1,t)	-2.31 (2,t)	-8.21 (0,t)	-3.51	-2.90	-4.07	-3.46	
Dom Rep	-2.09 (12,t)	-2.40 (8,t)	-2.13 (12,t)	-2.07 (8)	-3.50	-2.89	-4.06	-3.46	
Mexico	-1.97 (9,t)	-2.97 (7,t)	-3.05 (5,t)	-1.91 (4)	-3.50	-2.89	-4.05	-3.46	
Paraguay	-3.46 (0,t)	-2.04 (3,t)	-3.61 (8,t)	-3.78 (4,t)	-3.55	-2.91	-4.13	-3.49	
Peru	-2.93 (1,t)	-2.04 (0,t)	-1.61 (4)	-2.49 (1,t)	-3.56	-2.92	-4.13	-3.49	
Uruguay	-3.40 (3,t)	-3.13 (3,t)	-3.05 (5,t)	-1.76 (1)	-3.53	-2.90	-4.08	-3.47	
USA	-2.71 (3)	-3.22 (0,t)	-2.85 (2,t)	-2.99 (2)	-3.47	-2.88	-4.02	-3.44	

Estimation results

Table 3 presents the multipliers estimated with SVARs, with the variables in first differences, and, in some cases, SVEC models. The multipliers were computed using the point estimates of the impulse responses. Table 3 includes both the peak, or trough, multipliers using the BP identification strategy for every country and the eight-quarter cumulative multipliers, defined

as $(m = \frac{\sum_{t=1}^{8} Yresponse_t}{\sum_{t=1}^{8} Sresponse_t}$ or $\frac{\sum_{t=1}^{8} Yresponse_t}{\sum_{t=1}^{8} Tresponse_t}$). The number of lags included in the estimation

⁸ Whenever the variables have a unit root and, at the same time, they are not cointegrated, I estimate the system in first differences (no deterministic trends). Otherwise, the relation among trending variables in levels could be spurious. If the variables are cointegrated, I estimate vector error correction models instead, given that a SVAR in first differences would not be correctly specified as above said. It is worth adding that, not here but in the literature, cointegrated systems are alternatively estimated in levels.

was chosen to guarantee that there is no autocorrelation in the residuals.¹⁰ As said, the size of the multipliers could depend on many factors but explaining multiplier differences is not attempted here; it is beyond the scope of this paper.

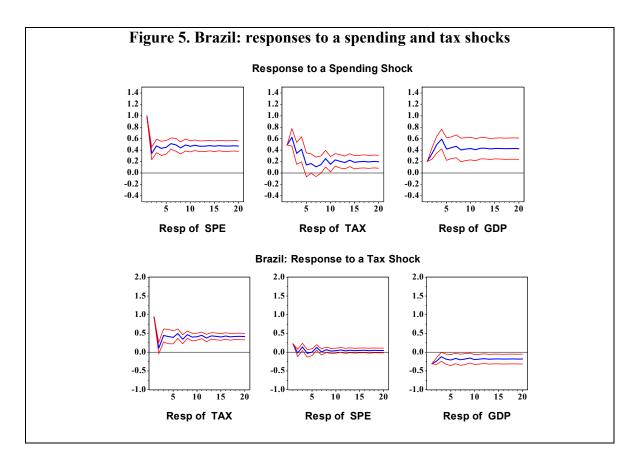
Table 3. Fiscal Multipliers															
SPENDING TAX															
	Pe	Peak												Cumu	lative
	SVAR	SVEC	Quarter	SVAR	SVEC	SVAR	SVEC	Quarter	SVAR	SVEC					
BRA: 4	0.59		4	0.81		-0.31		1	-0.44						
CHL: 4	1.71	1.12	3 - 2	1.19	0.42	-0.24	-0.48	1 - 1	-0.25	-0.49					
COL: 4	1.01	0.99	9 - 12	1.89	1.56	-0.75	-0.68	8 - 1	-3.03	-1.34					
DOM: 2	0.40		3	0.47		-0.48		1	-0.38						
MEX: 4	0.40		2	0.72		-0.29		5	-0.36						
PER: 5	0.75		6	1.14		-0.74		6	-1.46						
PAR: 3	0.95	0.98	5 - 1	1.15	0.63	-1.51	-1.37	4 - 1	-3.80	-3.14					
URU: 2	0.41		1	0.53		-0.71		5	-2.88						
USA: 4	1.10		1	0.68		-1.34		10	-2.54						
SVARs are in first differences. Numbers beside country names indicate lags used in the estimation.															

In **Brazil**, the cumulative multipliers are larger than the peak/trough multipliers. The peak multiplier for government spending is 0.59, reached after four quarters, while the cumulative multiplier is 0.81 after two years (Table 3 and Figure 5). The trough tax multiplier is 0.31, reached on impact, while the cumulative tax multiplier is 0.44 after two years. Matheson and Pereira (2016) estimated multipliers for Brazil using a VAR with a different identification strategy. They found a similar peak multiplier for government spending (slightly above 0.5) and a somewhat larger trough tax multiplier (slightly below 0.5).

In **Chile**, based on the low frequency properties (Table 2), a SVEC estimation is called for. However, I estimated both a SVAR and a SVEC. Chile, Colombia and Paraguay have the largest spending peak multipliers (Table 3). In Chile the peak multiplier of a spending shock is 1.71 after three quarters obtained with a SVAR and 1.12 after two quarters with a SVEC. The cumulative multiplier after two years is 1.19 with a SVAR and only 0.42 with a SVEC due to the persistence of, the denominator, government spending (Table 3 and Figure 6). On tax shocks, the SVAR trough multiplier is -0.24 reached on impact and the cumulative one is -0.25 after two years. The SVEC trough multiplier is -0.48 also reached on impact, and the

¹⁰ Akaike, Schwarz, Hannan-Quinn are commonly used criteria to select the number of lags. Each one penalizes the use of lags differently. However, what really matters is to have the (minimum) number of lags that produce white noise residuals, and that is what I did here. Often, 4 lags are included when using quarterly data.

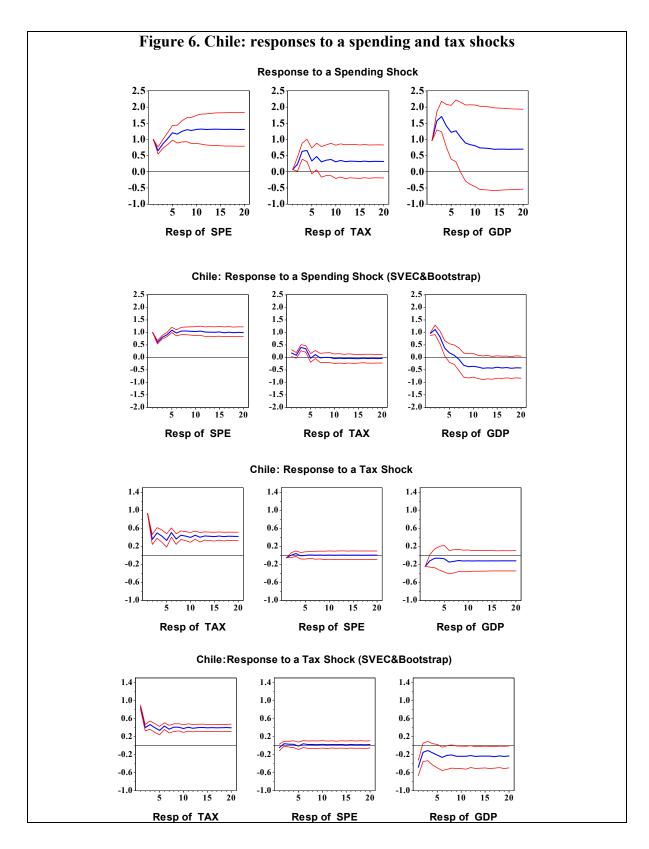
cummulative one -0.49. Other studies have found larger multipliers. Fornero and others (2019) find a cumulative multiplier of 2 for a combined shock to government consumption and investment, while Cespedes and others (2012) find a peak consumption and investment multiplier of 1.27, reached after a year, while the 8-quarter cumulative multiplier is 2.8.¹¹

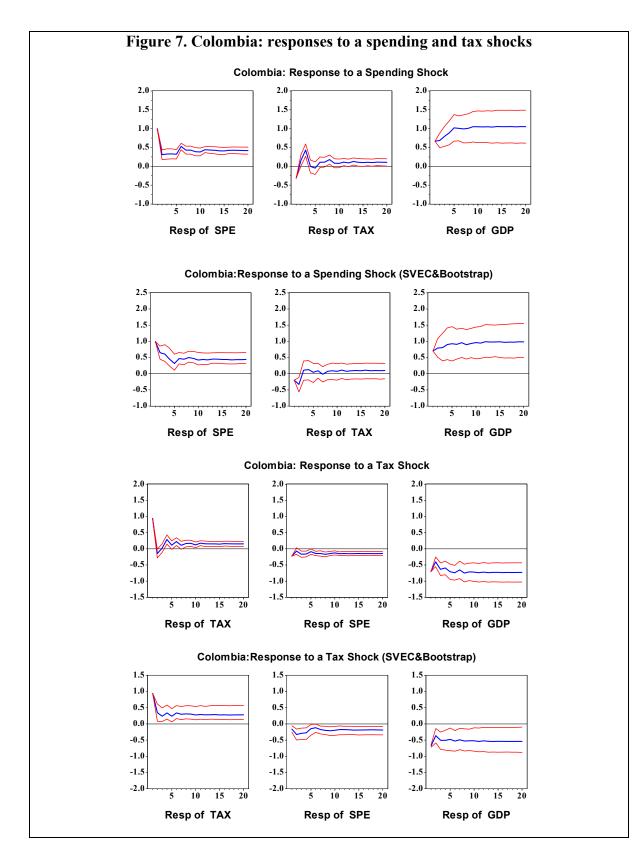


The estimated multipliers for **Colombia** are, as above said, among the largest in the sample although some are a little smaller when a SVEC is estimated (Table 3 and Figure 7).¹² The cumulative multipliers are much larger than the peak (or trough) ones. With the SVAR, the peak spending multiplier is 1.01 after nine quarters, while the cumulative multiplier is 1.9. Based on the SVEC estimation, the peak multiplier is 0.99 after 12 quarters, while the cumulative multiplier is 1.6. Regarding the impact of tax shocks, the SVAR trough multiplier is 0.75, while the two-year cumulative multiplier is -3. The SVEC trough multiplier is 0.68, with a cummulative multiplier of -1.3 after two years.¹³

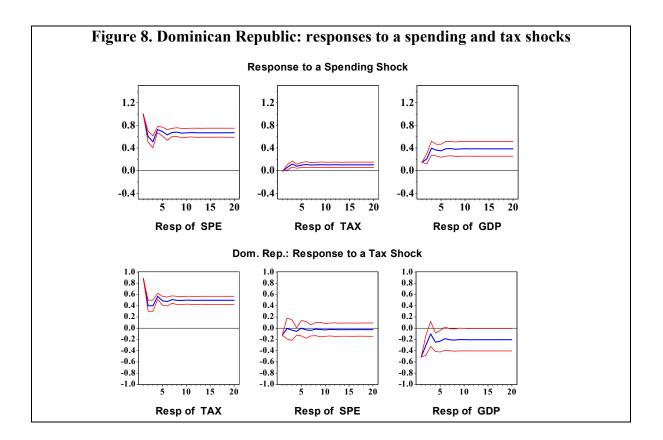
¹¹ Restrepo and Rincón (2006), using a different sample, find a peak spending multiplier of 1.9 for Chile, which stabilizes at 1.35, but it is only significant in the first two-to-three quarters. The tax multiplier is smaller at 0.4. ¹² Previous estimates of fiscal multipliers for Colombia can be found in Restrepo and Rincón (2006), although for a different definition of government.

¹³ These results are compatible with the multipliers of Lopez-Vera and others (2018) after two years: Spending shock 0.64 (boom) and 0.99 (recession); tax shock -0.71 (boom) and -1.12 (recession).



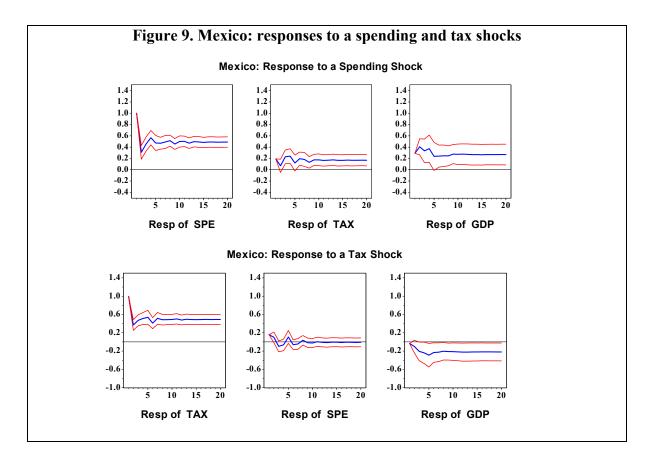


In the **Dominican Republic**, the peak spending multiplier is estimated at 0.40 after three quarters, and the cumulative multiplier at 0.47 after two years (Table 3 and Figure 8). The trough tax multiplier is estimated at -0.48, reached on impact, and the cumulative multiplier at -0.38.¹⁴ These multipliers are larger than those estimated with a six-variable SVEC model by Estevao and Samake (2013), but are similar to those in the International Monetary Fund (IMF), 2018.

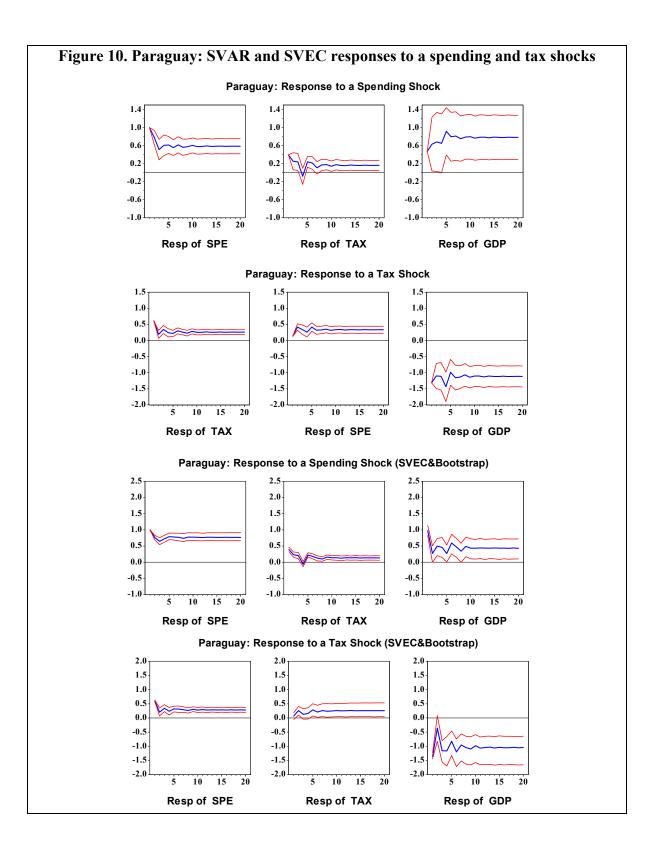


In **Mexico**, the peak spending multiplier is estimated at 0.40 after two quarters, and the twoyear cumulative multiplier at 0.72 (Table 3 and Figure 9). These values are in line with the multipliers estimated by Valencia (2015) using state-level spending in Mexico. On the other hand, the trough tax multiplier is estimated at -0.29 after five quarters, while the cumulative tax multiplier is estimated at -0.36.

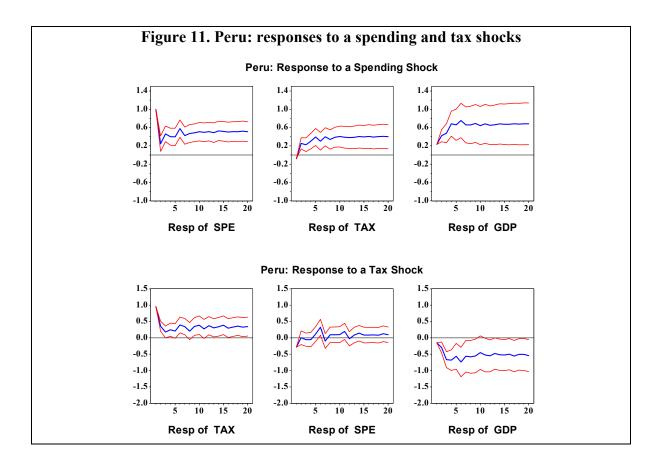
¹⁴ The revenue data excludes that related to Petro Caribe's debt, which was forgiven in 2015.



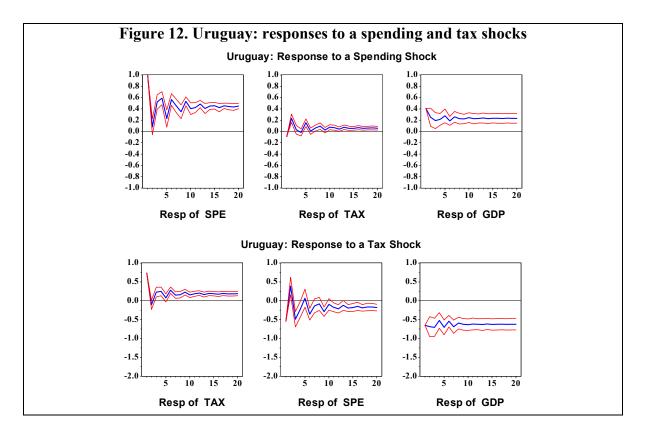
The estimated peak multipliers for **Paraguay** are among the largest (Table 3 and Figure 10). Using a SVAR, the peak spending multiplier is 0.95 after five quarters, while the cumulative multiplier is 1.15. Using a SVEC, the peak spending multiplier is estimated at 0.98 and the cumulative multiplier at 0.63. For taxes, the SVAR estimates a trough tax multiplier at -1.51 after four quarters and a cumulative multiplier at -3.80. The SVEC estimates a trough tax multiplier at -1.37, on impact, and a cummulative multiplier of -3.14. These results imply a negative "balanced budget multiplier," as the tax multiplier is larger in absolute terms than the spending multiplier. These results contrast with those in David (2017), who finds a positive balanced budget multiplier using different techniques to identify fiscal shocks, including VARs, the local projection method, and the narrative approach. In David (2017), the VARs estimated to get spending multipliers are different to the ones used here.



In **Peru**, the peak spending multiplier is estimated at 0.75 after six quarters, and the two-year cumulative multiplier at 1.14 (Table 3 and Figure 11). The trough tax multiplier is estimated at -0.74 after six quarters, and the cumulative multiplier at -1.46. These multipliers are larger than those in Vtyurina and Leal (2016), which estimate cumulative multipliers for capital spending during downturns at 0.5 after four quarters, rising to 1.1 after 12 quarters. However, the multipliers estimated here are closer to those estimated by the Central Reserve Bank of Peru in 2012 and the Ministry of Economy and Finance in 2015.



In **Uruguay**, the peak spending multiplier is estimated at 0.41 after two quarters and the twoyear cumulative multiplier at 0.53 (Table 3 and Figure 12). The trough tax multiplier, on the other hand, is estimated at -0.71 after five quarters, and the cumulative multiplier at -2.88 as the tax response after the shock vanishes quickly while the effect on GDP persists.





The expansionary policies put in place during the 2009 global financial crisis and, later on, the fall of commodity prices left public finances in bad shape in many LAC economies, with large fiscal deficits and debt following an unsustainable path. As a result, several countries in LAC are now consolidating their fiscal accounts and will continue to do so in the coming years. In this context, it is important to know the likely impact of fiscal consolidation on economic activity, and to have good estimates of fiscal multipliers.

This paper replicates the approach of Blanchard and Perotti (2002) for the United States and applies it to estimate fiscal multipliers for eight LAC economies. SVARs in first differences and in some cases SVECs are estimated. Two definitions of multipliers are used: 1) the peak spending or trough tax multipliers of Blanchard and Perotti; and 2) the two-year cumulative multiplier (two -year cumulated response of GDP to the two-year cumulated response of government spending or tax revenues) as in Ramey and Zubairy (2018).

For the United States, the results of Blanchard and Perotti (2002) imply a much larger cummulative tax multiplier (-2.54) than the cummulative spending one (0.68). Thus, the fiscal multiplier definition matters significantly. In the LAC sample, the cumulative tax multipliers are in most cases larger (in absolute value) than the trough multipliers. Most often, the two-year cumulative spending multipliers are also larger than the peak ones, but this is not true when the spending multiplier was obtained with a SVEC estimation. The results suggest that the impact of fiscal shocks on GDP varies markedly across countries in LAC. Knowing the size of the multiplier could help design better country fiscal plans regarding, for instance, the speed and composition (taxes/spending) of a fiscal consolidation.

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