

Global Supply Chains in the Pandemic

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Cross-Border Supply Chains Transmit Shocks

- Covid-19 led to lockdowns of varying intensity across the world
- Most of the world interconnected by cross-border supply chains
- Questions:
 - ① What is the GDP impact of transmission through supply chains of the pandemic shock?
 - ② Should supply chains be “renationalized”?

What We Do

- 1 Build a quantitative model with trade and production
 - 64 countries, 33 sectors, 23 occupations, based on Huo, Levchenko, Pandalai-Nayar (2020)
 - analytical influence vector to calculate impact of shocks
 - accounting decomposition: impact of domestic shocks vs transmission, PE vs GE effects
- 2 Evaluate role of global supply chains in response to “Pandemic” (labor supply) shock
 - shock calibration: shares of sectors that can work from home, country lockdown stringency
 - counterfactual: what would happen if “pandemic” shock occurred in autarky?

Main Findings

- ① GDP impacts large and heterogeneous: $\text{avg} \approx -30\%$
- ② Role of production network: avg one-quarter of decline due to transmission
- ③ Renationalization of supply chains: average GDP decline similar
 - reducing reliance on foreign supply chains increases reliance on domestic supply chains
 - whether or not renationalization helps depends on relative intensity of home lockdown
 - renationalizing individual sectors makes little difference

Production

- $N = 64$ countries, $J = 33$ sectors, $\mathcal{O} = 23$ occupations
- Sectoral production with fixed capital

$$Y_{nj} = Z_{nj} \left(K_{nj}^{\alpha_j} H_{nj}^{1-\alpha_j} \right)^{\eta_j} X_{nj}^{1-\eta_j}$$

- Armington international goods trade in inputs

$$X_{nj} = \left(\sum_{m=1}^N \sum_{i=1}^J \mu_{mi,nj}^{\frac{1}{\varepsilon}} X_{mi,nj}^{\frac{\varepsilon-1}{\varepsilon}} \right)^{\frac{\varepsilon}{\varepsilon-1}}$$

- Composite labor aggregates inputs across occupations

$$H_{nj} = \left(\sum_{\ell=1}^{\mathcal{O}} \gamma_{nj\ell}^{\frac{1}{\kappa}} L_{nj\ell}^{\frac{\kappa-1}{\kappa}} \right)^{\frac{\kappa}{\kappa-1}}$$

Household

- Representative household with workers specialize in different occupations

$$\begin{aligned} \max_{\mathcal{F}_n, \{L_{nl}\}} \quad & \mathcal{F}_n - \sum_{\ell=1}^{\mathcal{O}} \frac{1}{1 + \frac{1}{\psi}} \left(\frac{L_{nl}}{\xi_{nl}} \right)^{1 + \frac{1}{\psi}} \\ \text{s.t.} \quad & P_n \mathcal{F}_n = \sum_{\ell=1}^{\mathcal{O}} W_{nl} L_{nl} + \sum_{j=1}^J R_{nj} K_{nj} \end{aligned}$$

- country-occupation specific labor supply shock ξ_{nl}
- Two-level CES demand: more substitutable within group, $\rho \ll \gamma$

$$\mathcal{F}_n = \left[\sum_q \zeta_{nq}^{\frac{1}{\rho}} D_{nq}^{\frac{\rho-1}{\rho}} \right]^{\frac{\rho}{\rho-1}}, \quad D_{nq} = \left[\sum_{j \in \mathcal{G}_{q,m}} \vartheta_{mnj}^{\frac{1}{\gamma}} D_{mnj}^{\frac{\gamma-1}{\gamma}} \right]^{\frac{\gamma}{\gamma-1}}$$

GDP Accounting and Model Solution

- GDP changes in country n are related to labor composite changes

$$\ln V_n = \sum_{j=1}^J \omega_{nj} (1 - \alpha_j) \eta_j \ln H_{nj}$$

- $\omega_{nj} \equiv \frac{P_{nj} Y_{nj}}{V_n}$: pre-shock Domar weights

- Analytical solution for $\ln \mathbf{H}$:

$$\ln \mathbf{H} = \underbrace{(\mathbf{I} - \mathcal{G})^{-1}}_{\text{global IO-GE}} \underbrace{\mathbf{\Pi}^{\mathcal{O}} \mathbf{\Delta}^{-1}}_{\text{labor market}} \ln \boldsymbol{\xi}$$

Domestic Influence v.s. Foreign Transmission

- Together with the expression for labor changes, GDP changes in country n is

$$\ln V_n = \sum_{j=1}^J \omega_{nj} (1 - \alpha_j) \eta_j \ln H_{nj} = \underbrace{\sum_{\ell} s_{n\ell} \ln \xi_{n\ell}}_{\mathcal{D}_n} + \underbrace{\sum_{m \neq n} \sum_{\ell} s_{m\ell} \ln \xi_{m\ell}}_{\mathcal{T}_n}$$

- \mathcal{D}_n : domestic influence, response to domestic shocks
- \mathcal{T}_n : foreign transmission, response to foreign shocks

Trade vs Renationalization

- Without trade, no response to foreign shocks, but respond to domestic shocks differently:

$$\ln V_n^R = \sum_{\ell} s_{n\ell}^R \xi_{n\ell}$$

- Difference in GDP change:

$$\ln V_n - \ln V_n^R = \underbrace{\sum_{\ell} (s_{n\ell} - s_{n\ell}^R) \ln \xi_{n\ell}}_{\text{Change in Domestic Influence}} + \mathcal{T}_n$$

- A further look at the changes in domestic influence

$$\mathcal{D}_n - \mathcal{D}_n^R = \sum_{j=1}^J (1 - \alpha_j) \eta_j \left[\underbrace{\left(\omega_{nj} - \omega_{nj}^R \right) \sum_{\ell} \mathbf{D}_{n\ell, nj} \ln \xi_{n\ell}}_{\text{PE}} + \underbrace{\sum_{\ell} \left(\omega_{nj} \mathbf{\Gamma}_{n\ell, nj} - \omega_{nj}^R \mathbf{\Gamma}_{n\ell, nj}^R \right) \ln \xi_{n\ell}}_{\text{Domestic GE}} \right]$$

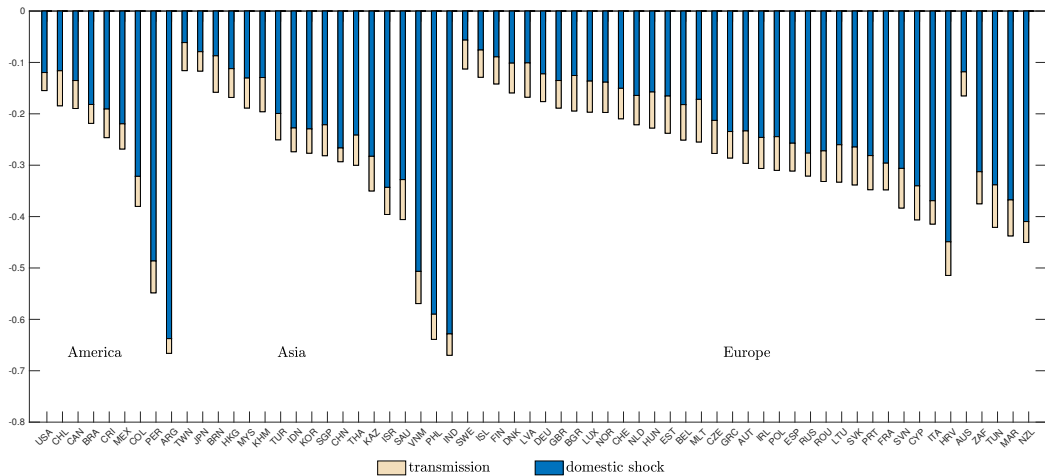
Data

- Labor shock:

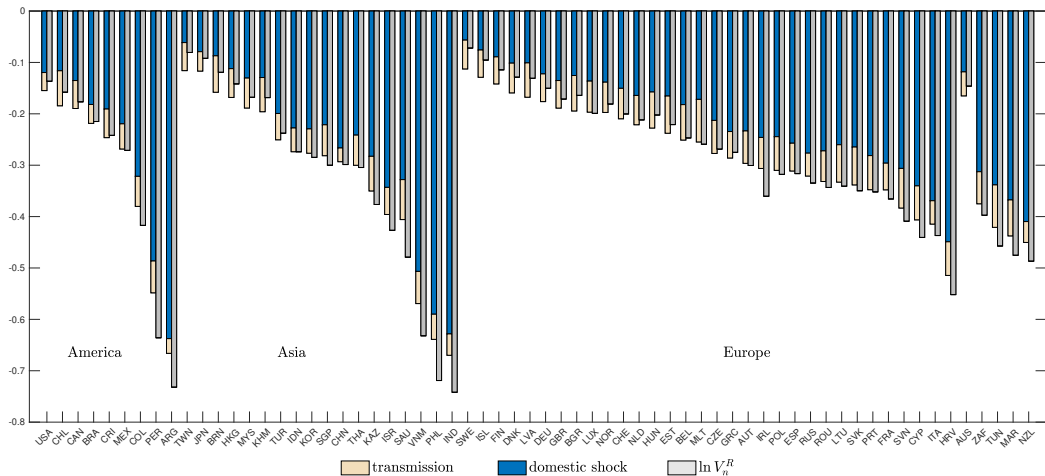
$$\ln \xi_{n\ell} = - (1 - \text{work from home}_\ell) \times f(\text{GRT}_n)$$

- work from home shares: Dingel and Neiman (2020)
 - GRT_n : Oxford Blavatnik School of Government Coronavirus Government Response Tracker
 - Rank-preserving transformation to match average Δ Industrial Production
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- Sectoral occupation composition: BLS-based for all countries
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- Other data:
 - OECD Inter-Country Input-Output Tables for 2015 (64 countries, 33 sectors, 3 groups)
 - KLEMS, OECD-STAN (sectoral labor shares)

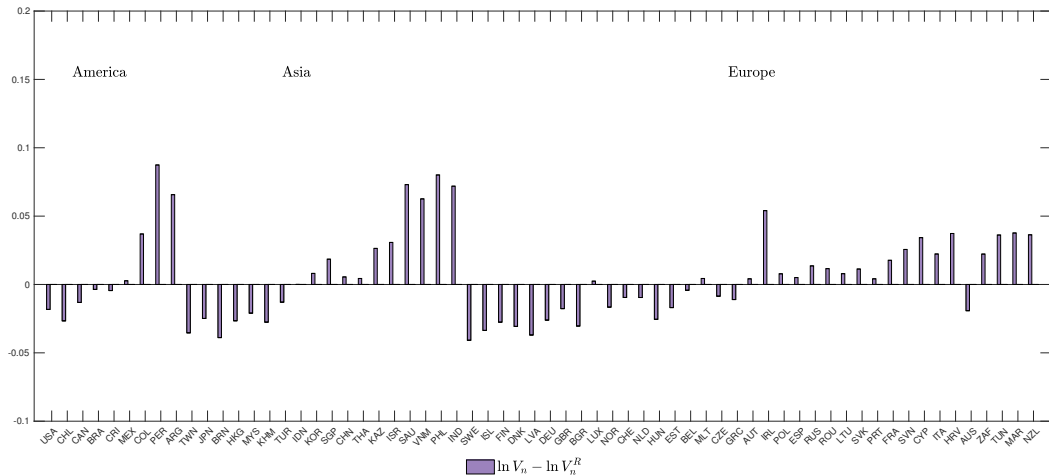
GDP Responses



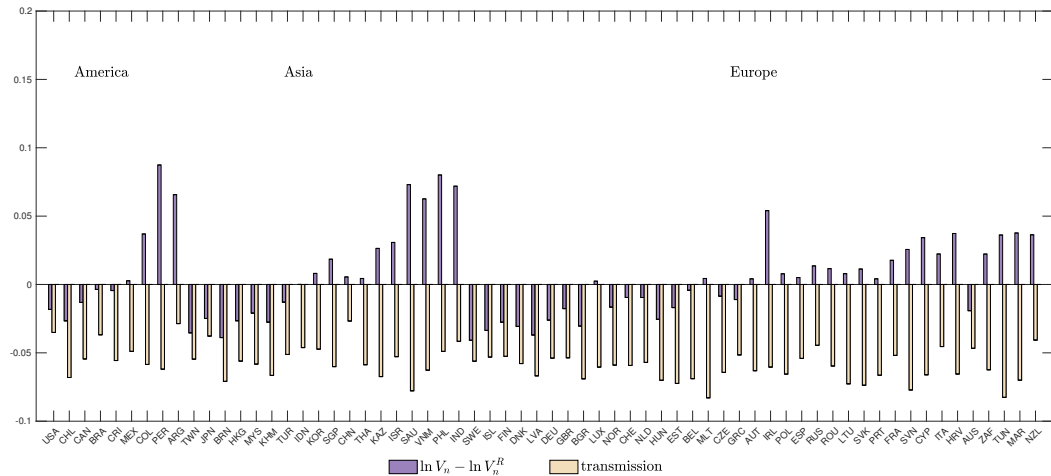
GDP Responses



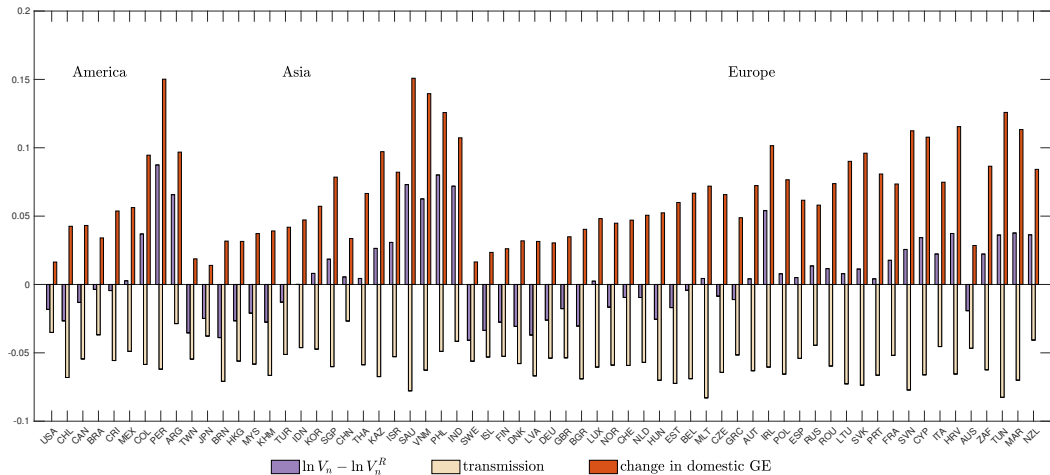
Renationalization



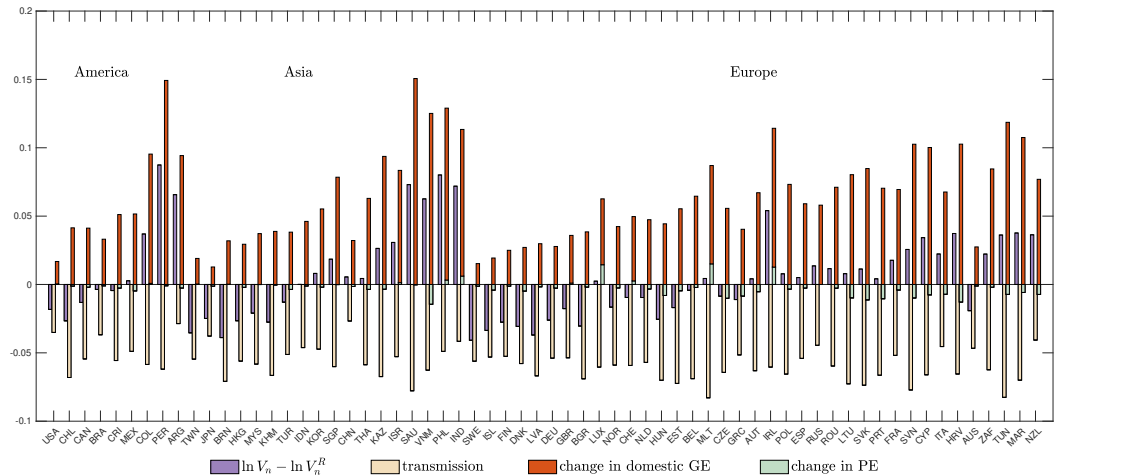
Renationalization



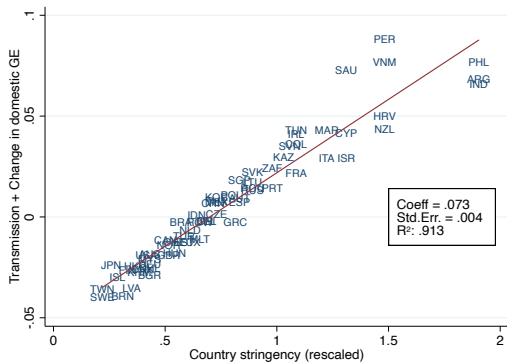
Renationalization



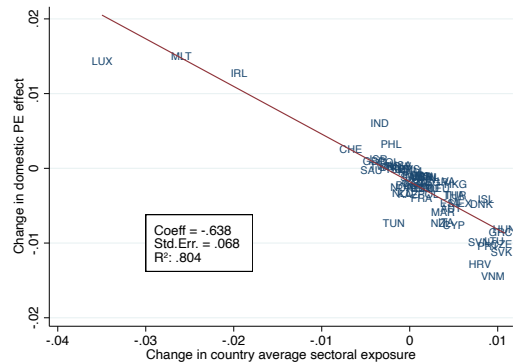
Renationalization



What Factor Explains Whether Renationalization is Beneficial?



Transmission and change in domestic GE ($\mathcal{T}_n + \text{GE}$)



Change in domestic PE

Conclusion

- Renationalization will not make economies more resilient to future pandemic shocks
 - Some insulation only in countries that impose looser lockdowns, and vice versa.